# EXAMPLE OF Lualatex With ASMECONF.CLS FOR ODE INTEGRATION 

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#### Abstract

This paper is an example of using asmeconf with $\mathrm{Lua} \mathrm{ET}_{\mathrm{E}} \mathrm{X}$ to solve an ODE initial value problem using a fourth-order RungeKutta method and to plot the result using PGFPLOTS. The use of a landscape figure is also illustrated. References are given for further reading. Keywords: asmeconf, LualATEX, ODE, pgfplots, landscape

\section*{NOMENCLATURE}

A Constant parameter [-] $t \quad$ Time [s] $y(t) \quad$ Position [m]


## 1. INTRODUCTION

LuaLATEX is built upon the Lua programming language [1]. By directly using Lua code in a $\mathrm{ET}_{\mathrm{E}} \mathrm{X}$ file, we can accomplish a wide range of tasks, as illustrated in the open-access paper by Montijano et al. [2]. In the present example, we follow Montijano et al. in solving a nonlinear first-order ordinary differential equation and plotting the result-all within a single ${ }^{\mathrm{A} T E X}$ file!

## 2. SOLUTION TO AN INITIAL VALUE PROBLEM

We consider an initial value problem like that of Montijano et al.:

$$
\begin{equation*}
y^{\prime}(t)=A \cdot y(t) \cos (t+\sqrt{1+y(t)}) \text { with } y(0)=1 \tag{1}
\end{equation*}
$$

Here, $A$ is a constant. We may adopt a fourth-order Runge-Kutta algorithm for the integration, which we shall perform to $t=30 \mathrm{~s}$ using a 400 point discretization. The details of the Runge-Kutta algorithm and a listing of the code are given in Montijano et al. (You can also read the code in the present . tex file.)

The algorithm is implemented directly in the preamble of this file, and the results are plotted in Fig. 1 for $A=$ $\{0.25,0.5,0.75,1.0\}$. Plotting is done using the PGFPLOTS package [3].

[^0]Landscape figures, such as Fig. 1, may be produced at fullpage size by putting guresright]\{rotating\}inyour.texfile'spreambleandusingthesidewaysfigure*environment[4].undefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefined

## 3. CONCLUSION

LualATEX enables numerical computations within a ${ }^{E A T} T_{E} X$ environment. By combining this capability with PGFPlots, the need for separate numerical and/or graphics packages can be reduced.

## ACKNOWLEDGMENTS

The example shown in this paper is directly based on an example given by Montijano et al. [2]. Additional examples, such as the Lorenz attractor, are contained in that paper.

## REFERENCES

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FIGURE 1: A trial of pgfplot with Luacode Runge-Kutta integration


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